

Universal branching in phylogenetic trees

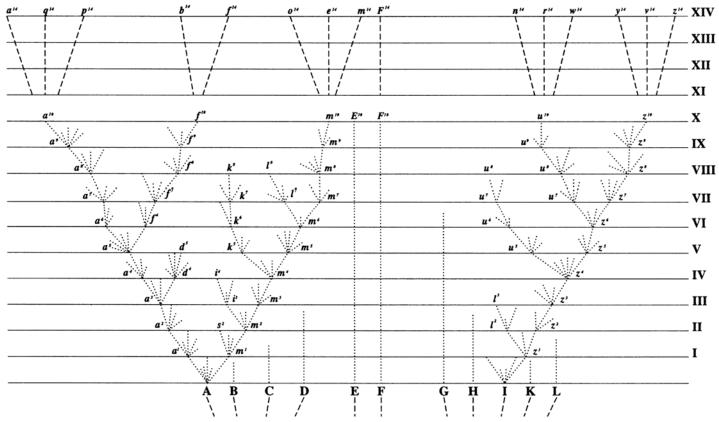
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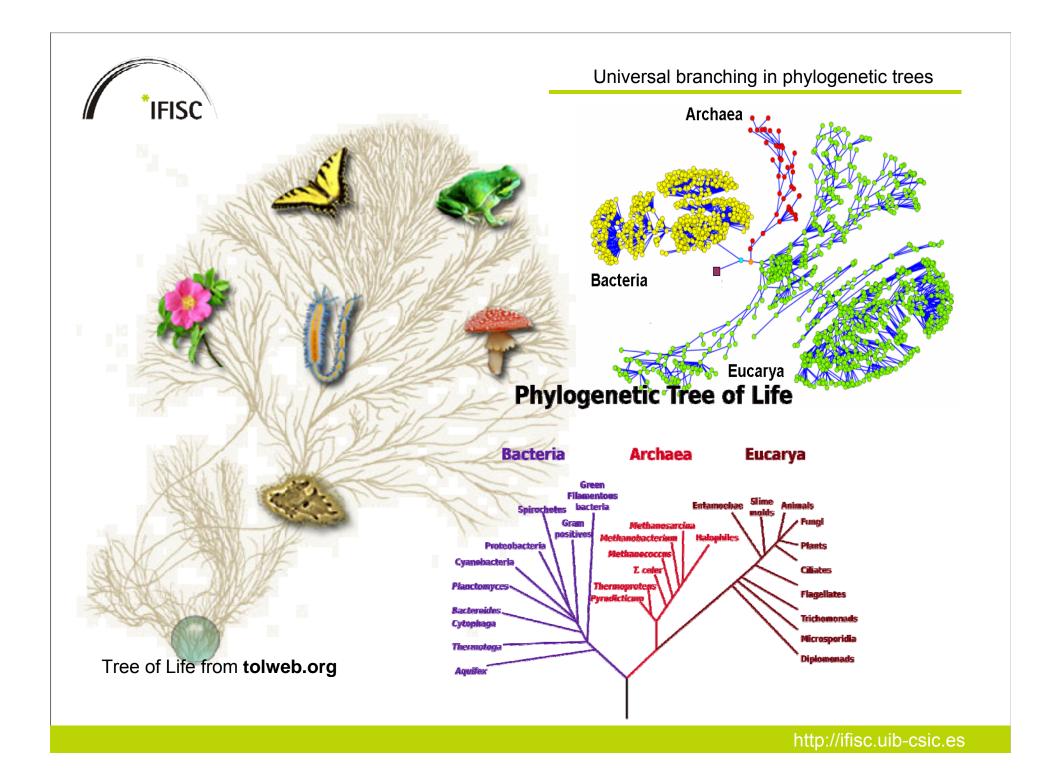


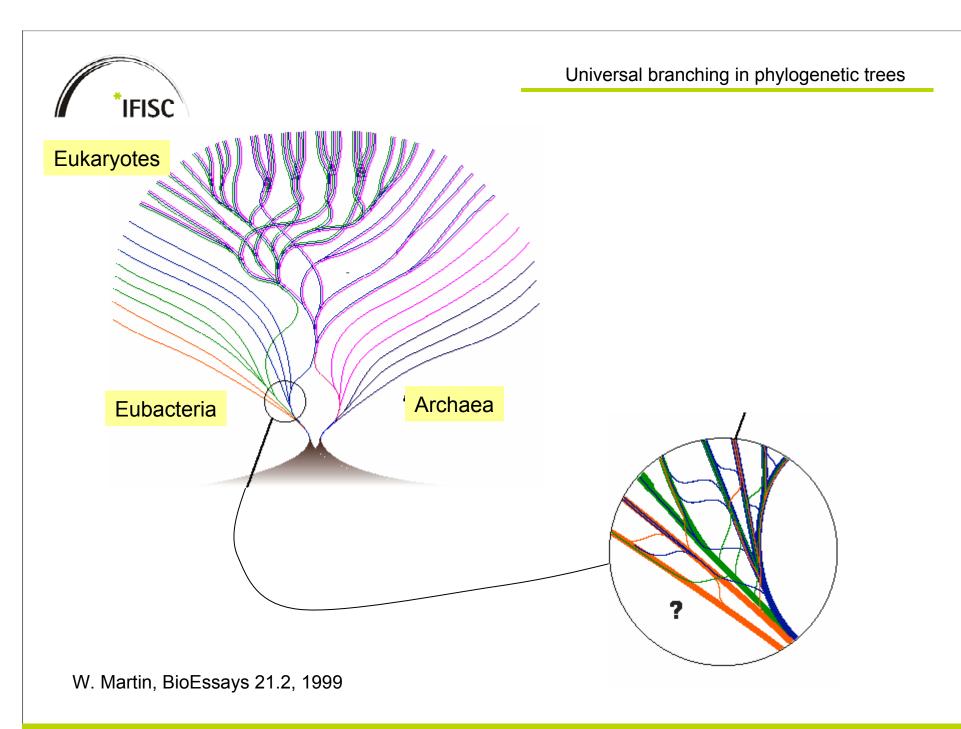


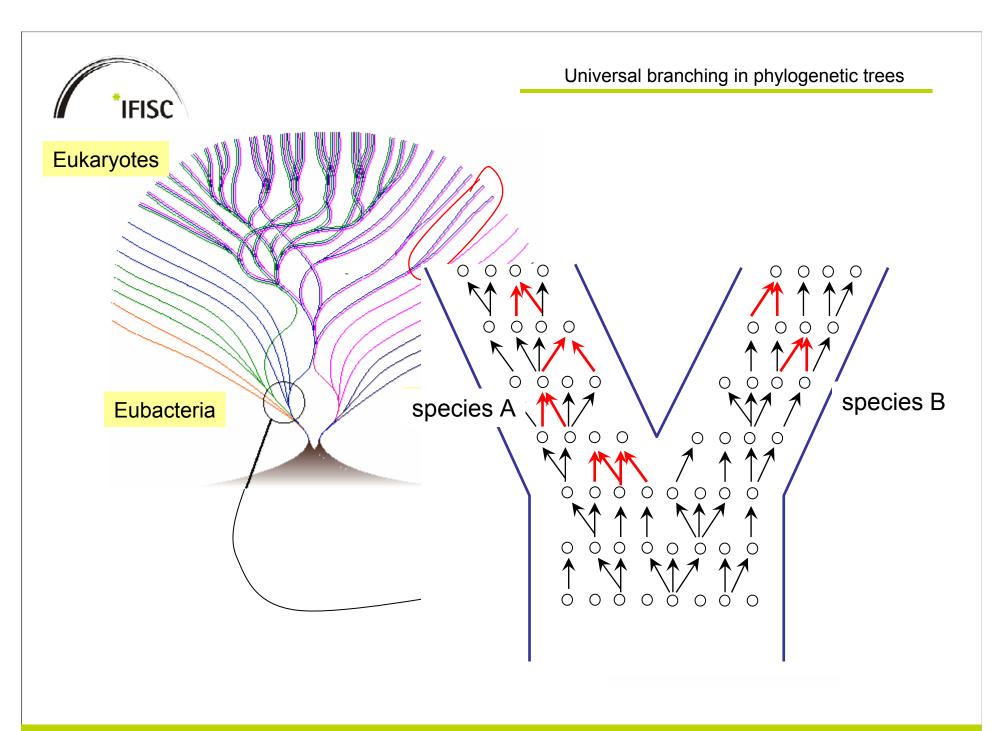


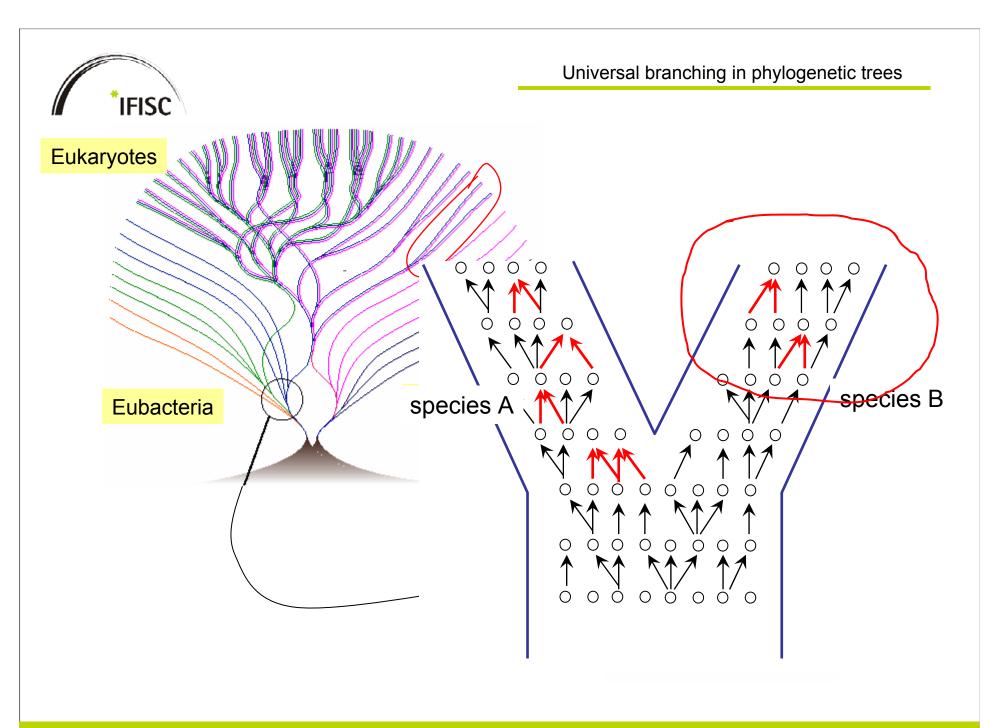


Charles Darwin in On the Origin of Species, 1859











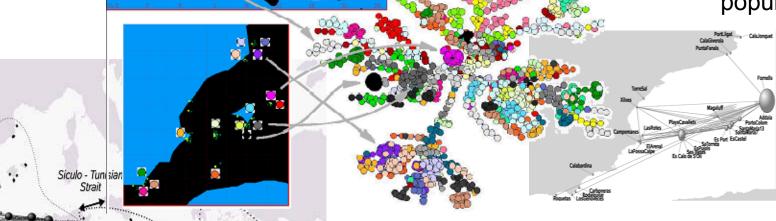
GENETIC SIMILARITY NETWORKS

Metapopulations structure Betweeness and degree:
Gene flow

Key populations

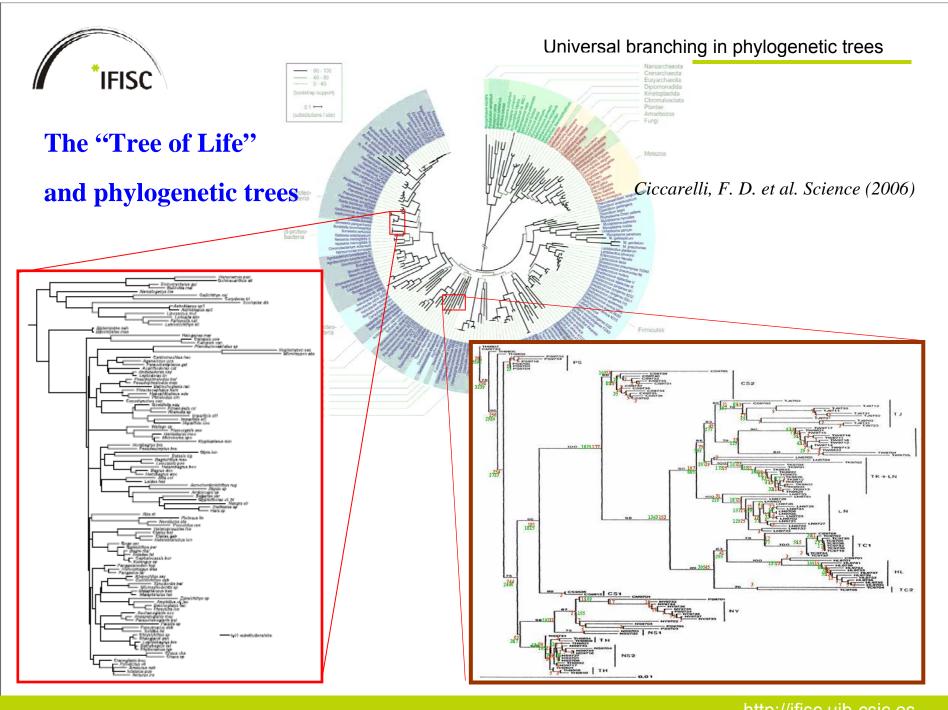
Gene source and sink

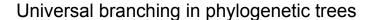
populations



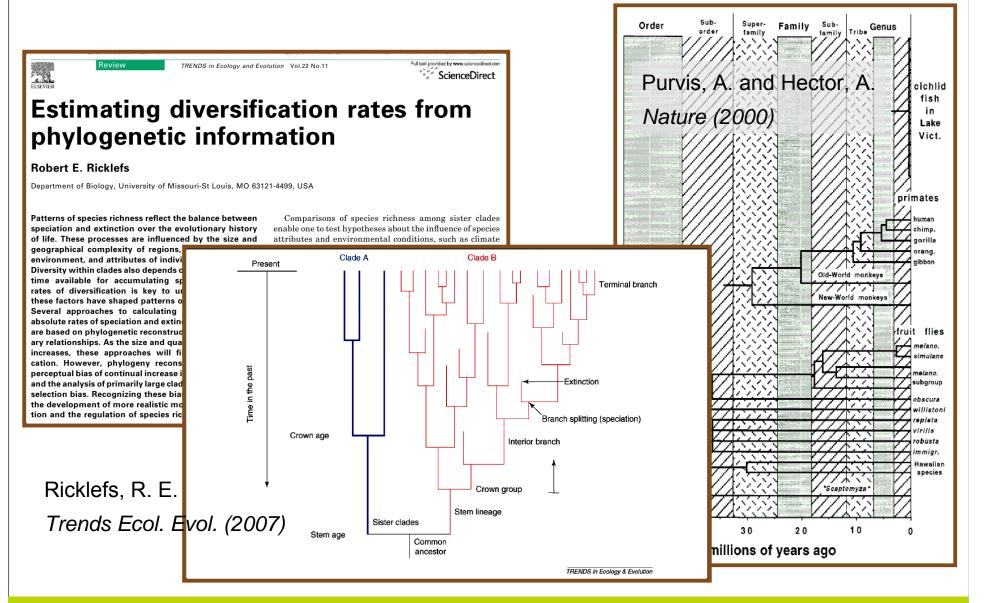
Rozenfeld et al., J. Roy. Soc. Interface (2007) Hernandez-Garcia et al., AIP Conf. Proc. 913 (2007) Hernandez-Garcia et al., Physica D (2006)

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Ifisc.uib-csic.es/EDEN ifisc.uib-csic.es/eng/lines/bio.html











CLASSICAL STUDIES OF PHYLOGENETIC BIODIVERSITY

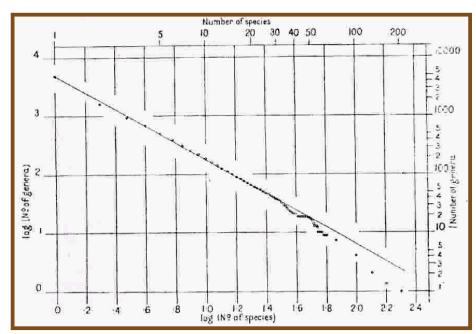
- Distributions of species within genera (or of subtaxons within taxons)
- Symmetry of the branching: balance vs unbalance

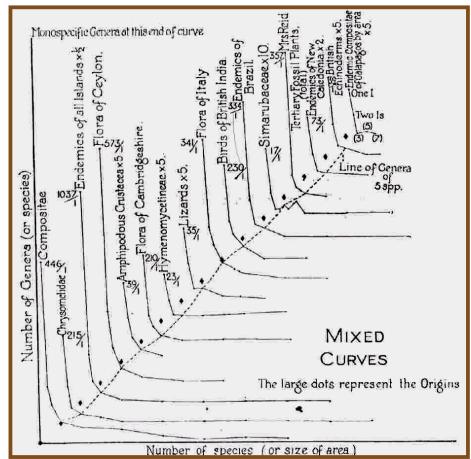


Size (Frequency distribution) ...

Numbers of species in biological taxa

Willis, J. C. and Yule, G. U. Nature (1922)





$$n_g(n_s) \sim n_s^{\gamma}$$
, $\gamma \approx 1.5-2$



Darwin (1859)

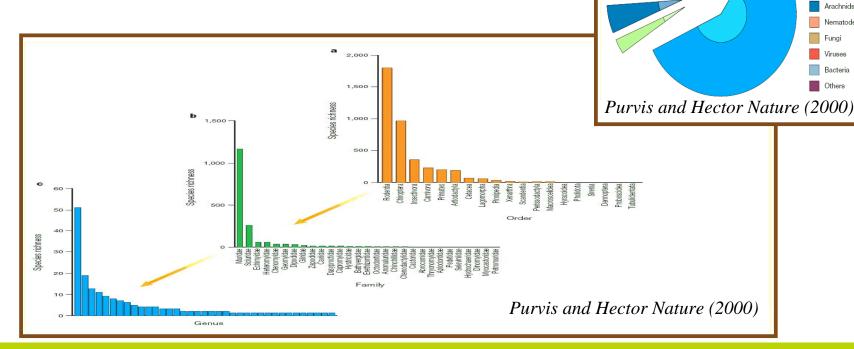
"Species in species-rich genera had more subspecific varieties."

Willis (1922), Corbet (1942), Anderson (1975).

Subtaxa within taxa are often distributed unevenly.

Burlando (1990, 1993), Minelli (1991), Nee (1992).

Described the uneven distribution in terms of **fractal geometry**.



Chordates

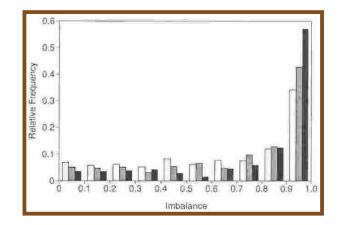




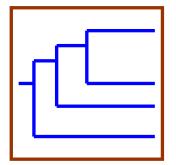
Holman, E. W. Sys. Biol. (2005)

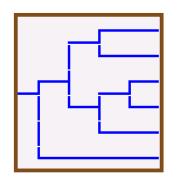
Tree shape ...

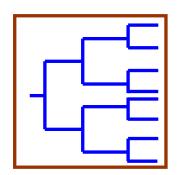
Colless (1982). Colless index of imbalance
Savage (1983). Patterns in the frequencies of all possible tree topologies.



UNBALANCED







BALANCED

Measure	Formula	Reference
Ñ	$\frac{1}{n}\sum_{i=1}^{n}N_{i}$	Shao and Sokal, 1990
σ_N^2	$\frac{1}{n} \sum_{i=1}^{n} (N_i - \bar{N})^2$	Shao and Sokal, 1990
$I_{ m c}$	$\frac{2}{(n-1)(n-2)}\sum_{i=1}^{n-1}(r_i-s_i)$	Colless, 1982; corrected by Heard, 1992
B_1	$\sum_{i=1}^{n-2} \frac{1}{M}$	Shao and Sokal, 1990
B_2	$\sum_{i=1}^{n} \frac{N_i}{2^{N_i}}$	Shao and Sokal, 1990
I'	$\frac{(B-m)}{(M-m)}$	Fusco and Cronk, 1995; corrected by Purvis et al., 2002
$\Sigma I'$		this paper
Mean I'		Purvis et al., 2002
Mean I_{10}'		this paper

Agapow, P.-M. and Purvis, A. Sys. Biol. (2002)



Size and form in efficient transportation networks

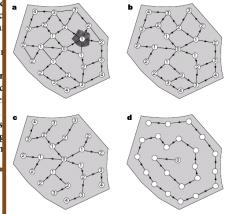
Jayanth R. Banavar*, Amos Maritan† & Andrea Rinaldo‡

* Department of Physics and Center for Materials Physics, 104 Davey Laboratory, The Pennsylvania State University, University Park, Pennsylvania 16802, USA † International School for Advanced Studies (SISSA), Via Beirut 2–4, 34014 Trieste, and INFM and the Abdus Salam International Center for Theoretical Physics, 34014 Trieste, Italy

‡ Ralph M. Parsons Laboratory, Department of Civil and Environmental Engineering, Massachusetts Institute of Technology, Cambridge, Massachusetts 02139, USA, and Dipartimento di Ingegneria Idraulica, Marittima e Geotecnica, Università di Padova, Padova, Italy

Many biological processes, from cellular metabolism to population dynamics, are characterized by allometric scaling (power-law) relationships between size and rate¹⁻¹⁰. An outstanding question is whether typical allometric scaling relationships—the power-law dependence of a biological rate on body mass—can be understood by considering the general features of branching networks serving a particular volume. Distributed networks in

networks serving a particular volunature stem from the need for effecboth in biological systems such as c networks¹⁻⁸ and plant vascular a inanimate systems such as the basins¹². Here we derive a general i flow rates in arbitrary networks theory accounts in a general way for scaling of living organisms¹⁻¹⁰, rec assumptions for particular networ scaling relations applicable to all works, which we verify from obs drainage basins. Allometric scaling nate from the general features of n mical or geometric assumptions.



Banavar, J. R., Maritan, A. and Rinaldo, A. *Nature* (1999)

Universal scaling relations in food webs

Diego Garlaschelli*†, Guido Caldarelli* & Luciano Pietronero*‡

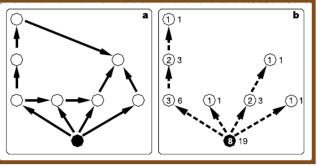
* INFM UdR Roma 1 and Dipartimento di Fisica Università di Roma 'la Sapienza', P. le A. Moro 5, 00185 Rome, Italy

† INFM UdR Siena and Dipartimento di Fisica Università di Siena, Via Roma 56, 53100 Siena, Italy

‡ CNR, Istituto di Acustica 'O.M. Corbino', v. Fosso del Cavaliere 100, 00133 Roma, Italy

The structure of ecological communities is usually represented by food webs¹⁻³. In these webs, we describe species by means of vertices connected by links representing the predations. We can therefore study different webs by considering the shape (topology) of these networks^{4,5}. Comparing food webs by searching for regularities is of fundamental importance, because universal patterns would reveal common principles underlying the organization of different ecosystems. However, features observed in small food webs^{1-3,6} are different from those found in large ones⁷⁻¹⁵. Furthermore, food webs (except in isolated cases^{16,17}) do not share^{18,19} general features with other types of network (including the Internet, the World Wide Web and biological

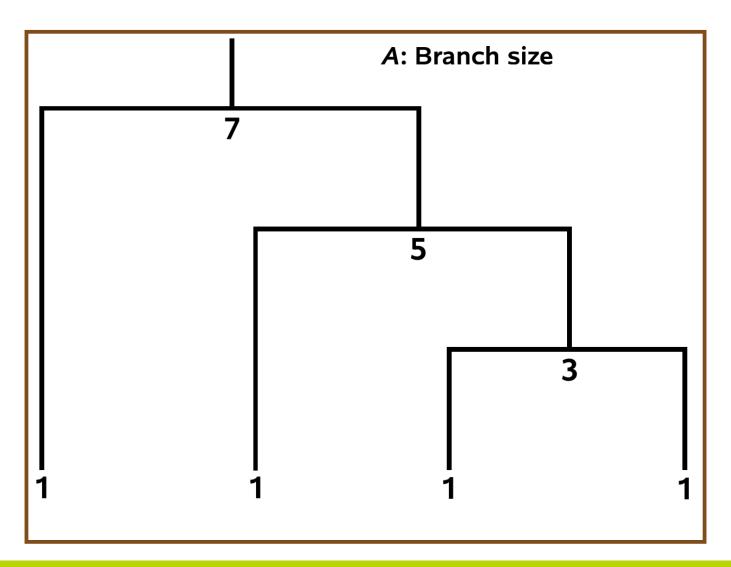
webs). These feat free (power-law)



Garlaschelli, D., Caldarelli, G. and Pietronero, L. *Nature* (2003)

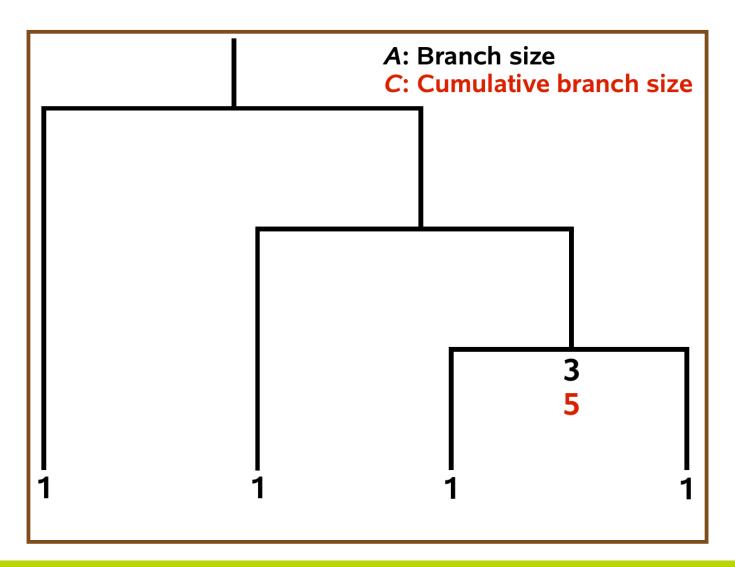


Branch size (A)



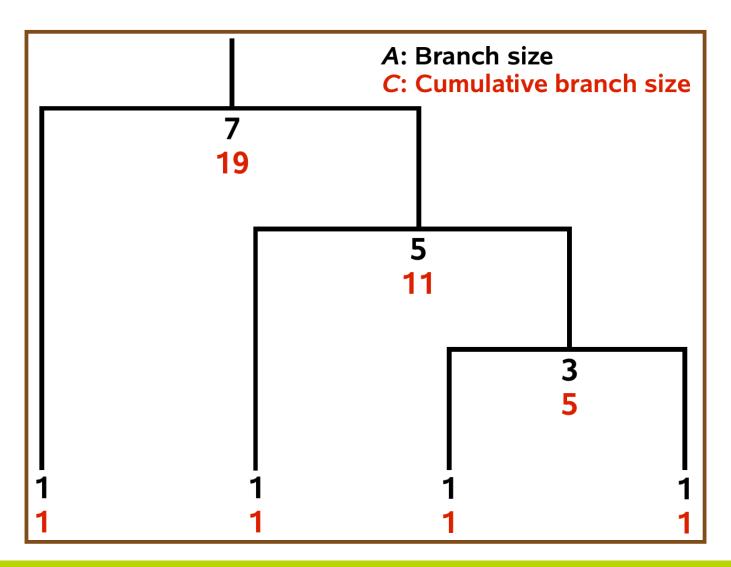


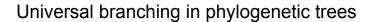
Cumulative branch size (C)



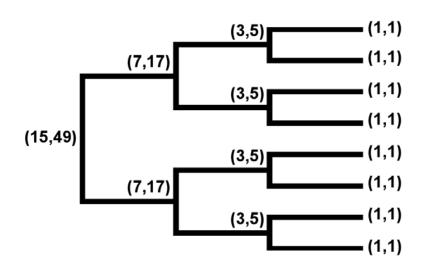


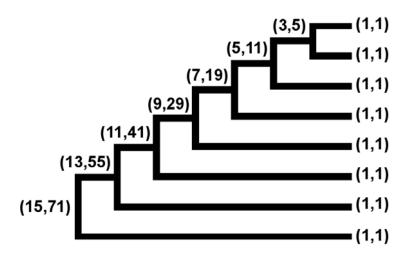
Cumulative branch size (C)

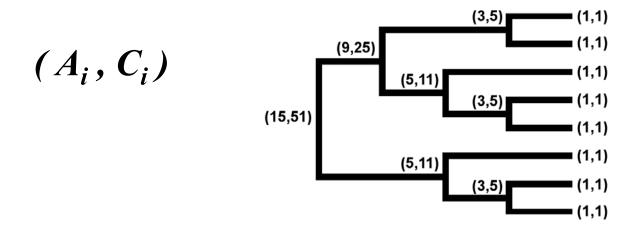












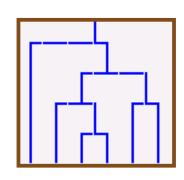
portion of a catfish filogeny



Branch size A, cumulative branch size, C, and classical quantifiers

- $P(A) \sim A^{-\tau_A}$ branch size distribution: related to subtaxa within taxa . $P(C) \sim A^{-\tau_C}$
- C_i/A_i mean distance of leaves to node *i*: mean depth (Sackin's index). Related to Coless index of unbalance.
- $C_i \sim A_i^{\eta}$ allometric scaling: shape vs size. Related to efficiency measures.

FULLY UNBALANCED: η = 2, τ_A = 0, τ_C = 0.5 SIMMETRIC (and random!): η = 1 (+log), τ_A = τ_C = 2

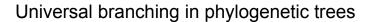




AIM:

To explore interesting objects from the point of view of network science, *but also*:

To use this topological characterization of phylogenies to compare **macroevolutionary** processes (leading to speciation) with **microevolution** (leading to population differentiation within the same species)





TreeBASE

TreeBASE

A Database of Phylogenetic Knowledge

....

Why?

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URL API

TreeBASE is a relational database of phylogenetic information hosted by the University at Buffalo. In previous years the database has been hosted by Harvard University Herbaria, Leiden University EEW, and the University of California, Davis. TreeBASE stores phylogenetic trees and the data matrices used to generate them from published research papers. We encourage biologists to submit phylogenetic data that are either published or in press, especially if these data were not fully presented in the publication due to space limitations. TreeBASE accepts all types of phylogenetic data (e.g., trees of species, trees of populations, trees of genes) representing all biotic taxa. For more information, see an introduction to TreeBASE, information on searching, the database schema, and a graphic presentation of the web site's internal structure. Also, check out some ideas on why you might want to use TreeBASE.

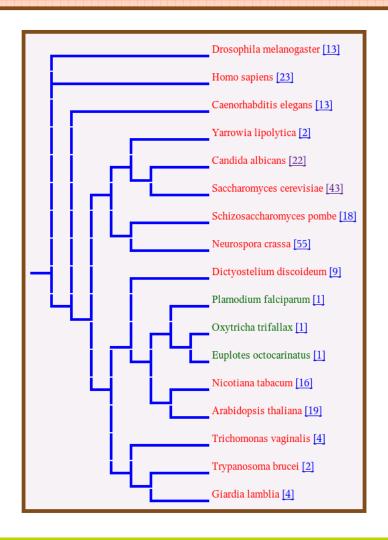
TreeBASE is now a participant in CIPRes, the NSF-sponsored Cyberinfrastructure for Phylogenetic Research project. As such, it is being redesigned from the ground up through collaborative research among Computer Scientists, Biologists, and Programmers. Presently TreeBASE is being mirrord at the San Diego Supercomputer Center at <a href="mailto:UCSD. Eventually, the redesigned, new and improved CIPRes version of TreeBASE will take over. In the meantime, please send us suggestions of what kinds of features or functions would you like designed into the new database? Are there new or unusual data types, queries, and functions that are not already offered by the current version of TreeBASE? Please send your suggestions here.

The WWW implementation of TreeBASE requires a forms-capable and frames-capable browser. We would be very grateful for any <u>feedback</u> on TreeBASE, including suggestions for improvement. In particular, if you encounter any errors please let us know.



http://www.treebase.org

TreeBASE@30June2007: 5212 trees of interspecific phylogenetic relationships





TreeBASE: 5212 interspecific phylogenies

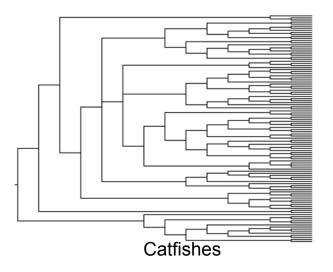
INTRAspecific set of 67 manually selected phylogenies.

- from all kingdoms
- climatic regions (terrestrial, marine, fresh water...)
- environments (from polar to desertic) and reconstruction methods (neighbour joining, maximum parsimony and maximum likelihood)

Vibrio vulnificus

Three data sets

INTERspecific set of 67 manually selected phylogenies (same criteria)





Branch Size distribution $F(A) = \text{prob } (A_i \ge A)$

$$F(A) = \operatorname{prob}(A_i \ge A)$$

 $F(A) \sim A^{1-\tau_A}, P(A) \sim A^{-\tau_A}$

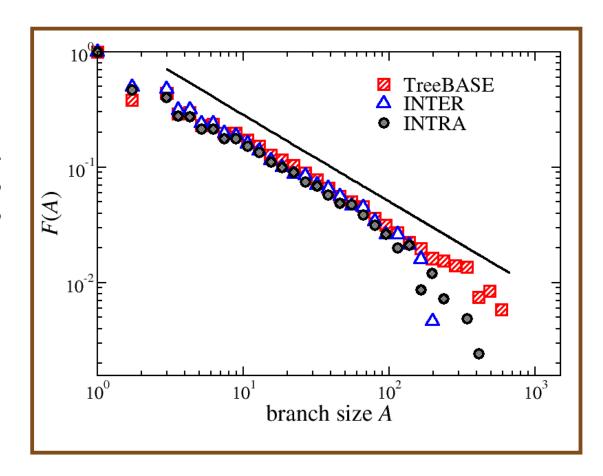
 au_{A}

TreeBASE: 1.74

INTER: 1.73

INTRA: 1.73

Universality across evolutionary scales, kingdoms, geographic regions,





Cumulative Branch Size distribution $F(C) = \text{prob } (C_i \ge C)$

$$F(C) = \operatorname{prob}(C_i \ge C)$$

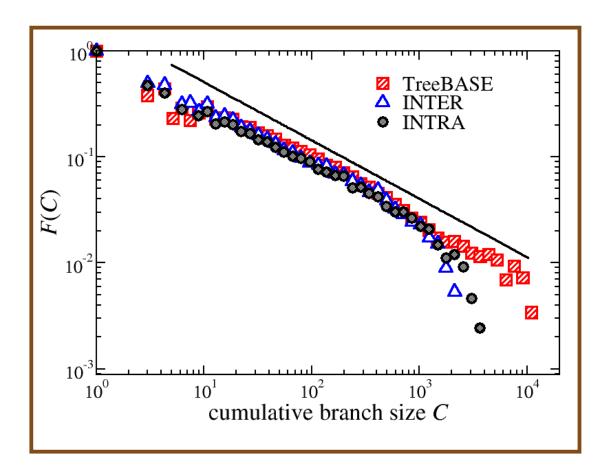
 $F(C) \sim A^{1-\tau_C}, P(C) \sim A^{-\tau_C}$

 $au_{\mathbf{C}}$

TreeBASE: 1.53

INTER: 1.52

INTRA: 1.51





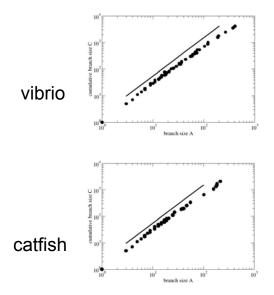
Allometric scaling $(C \approx A^{\eta})$

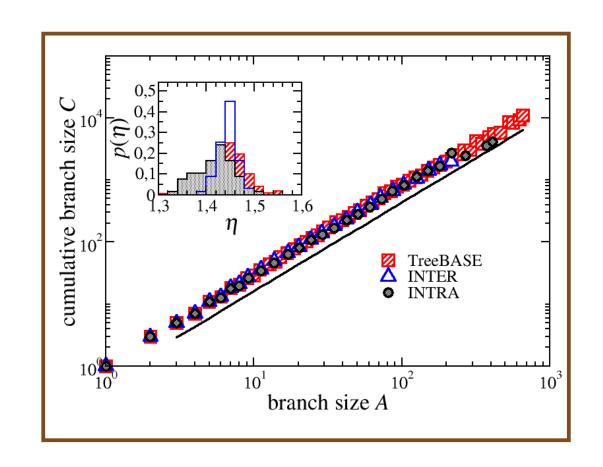
η

TreeBASE: 1.46

INTER: 1.43

INTRA: 1.43



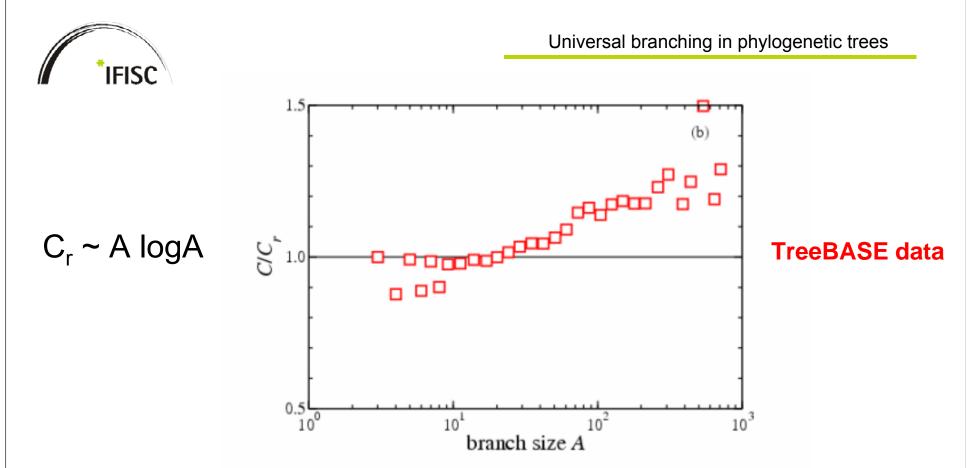




CAN THIS BE EXPLAINED BY RANDOM BRANCHING?

Equal-rates Markov (ERM) model (ERM model):

- ✓ The phylogenies are the product of random branching.
- ✓ The "effective speciation rate" (the difference between extinction and speciation rate) is equal for all species.
- ✓ The process is memoryless.



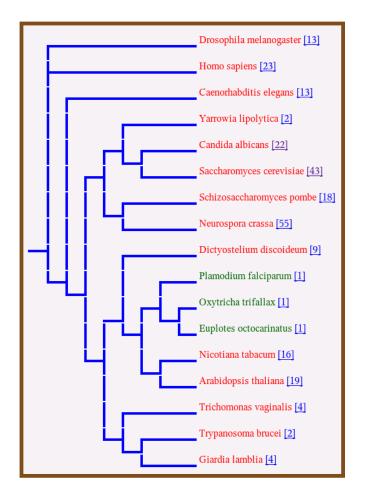
Random-like scaling (η =1, τ_A = 2) is extremely robust: ERM, Yule, Cayley, Moran, coalescent, ... any model in which all nodes are equivalent at a given time

Alternatives:

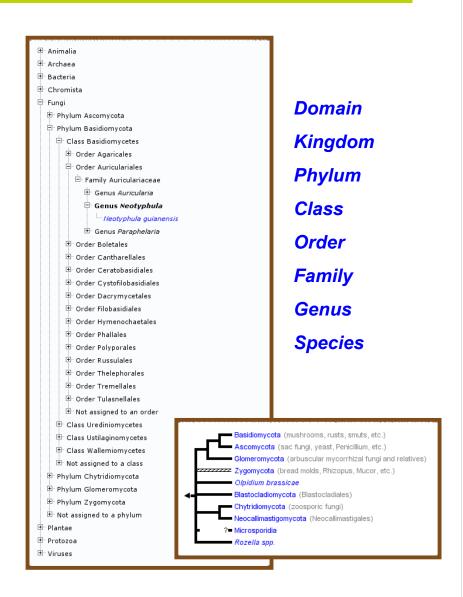
Proportional-to-Distinguishable-Arrangements (PDA) model: Rose (1978) Aldous beta model (2001)



Phylogenies vs Taxonomies

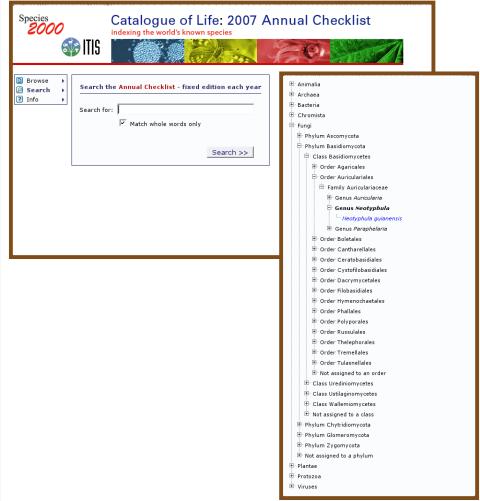


Universal branching in phylogenetic trees





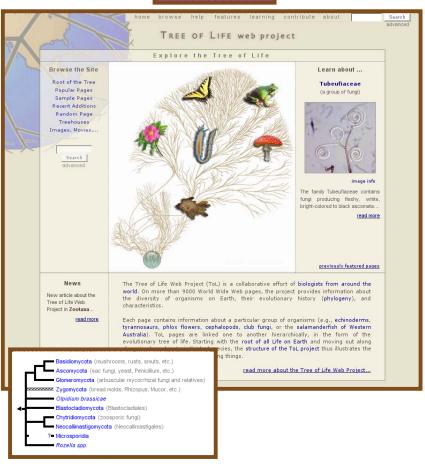
Catalogue of Life



http://www.catalogueoflife.org

Universal branching in phylogenetic trees

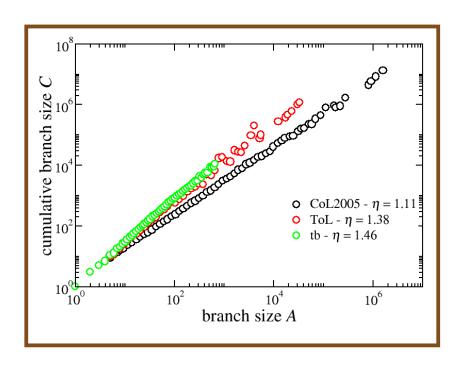


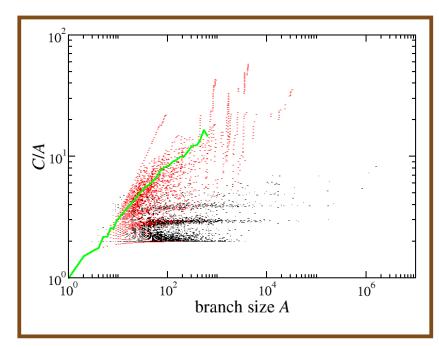


http://www.tolweb.org



Allometric scaling $(C \approx A^{\eta})$





Catalog of life ToLweb

TreeBASE



Conclusions...

- → We have characterized large sets of phylogenies with **topological quantities** which combine previous approaches based on diversity statistics, unbalance, and efficiency of transportation networks.
- → There is a striking **universality** across domains of life, environments, and scales of evolution of the **branching behavior** of the above topological indices. In particular we found the same branching patterns at the macroevolutionary scale (species formation) as at the microevolutionary/ecological scale (population differentiation).
- → Power-law distributions and allometric scaling characterize the branching properties as a function of tree size (A).
- → Simple random branching models do not explain the observed behavior. Memory of previous diversification history seems to be needed.
- → Taxonomical classifications have rather different topological properties

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